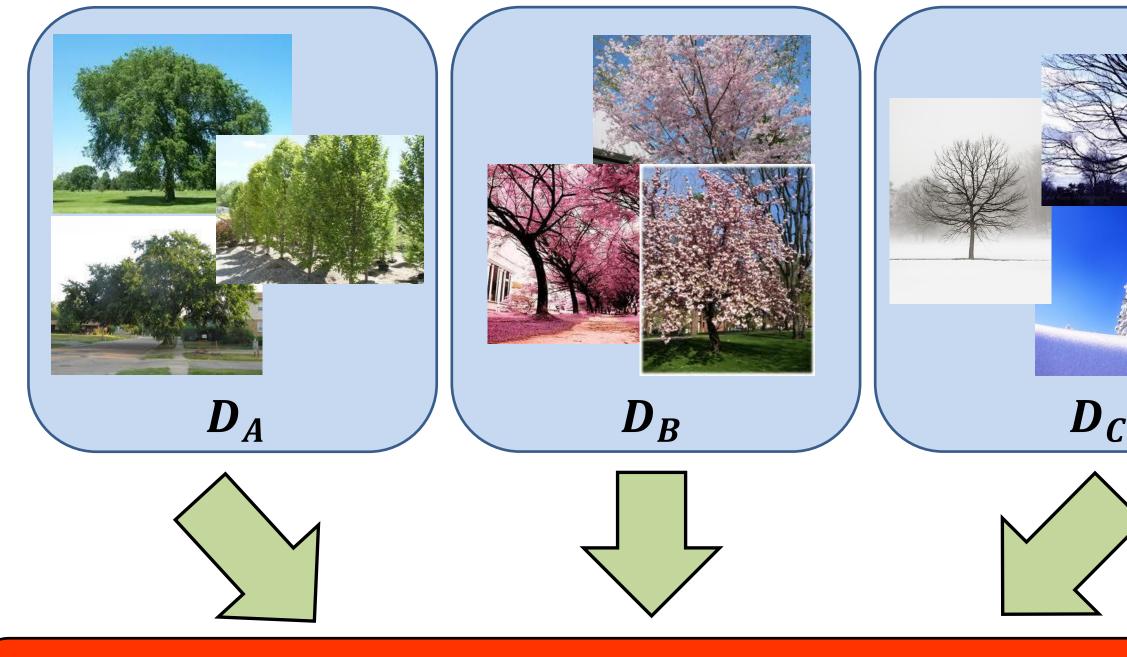
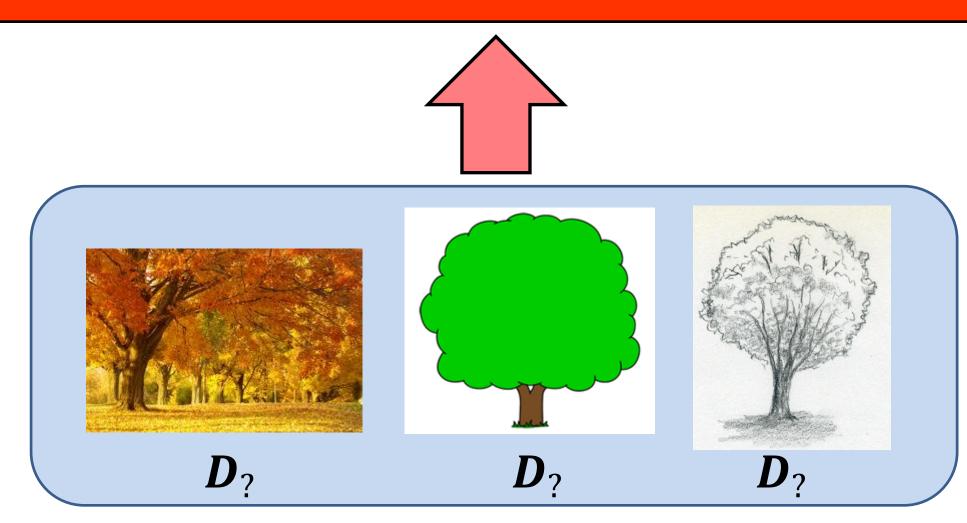


Issue: Data from different domains are biased



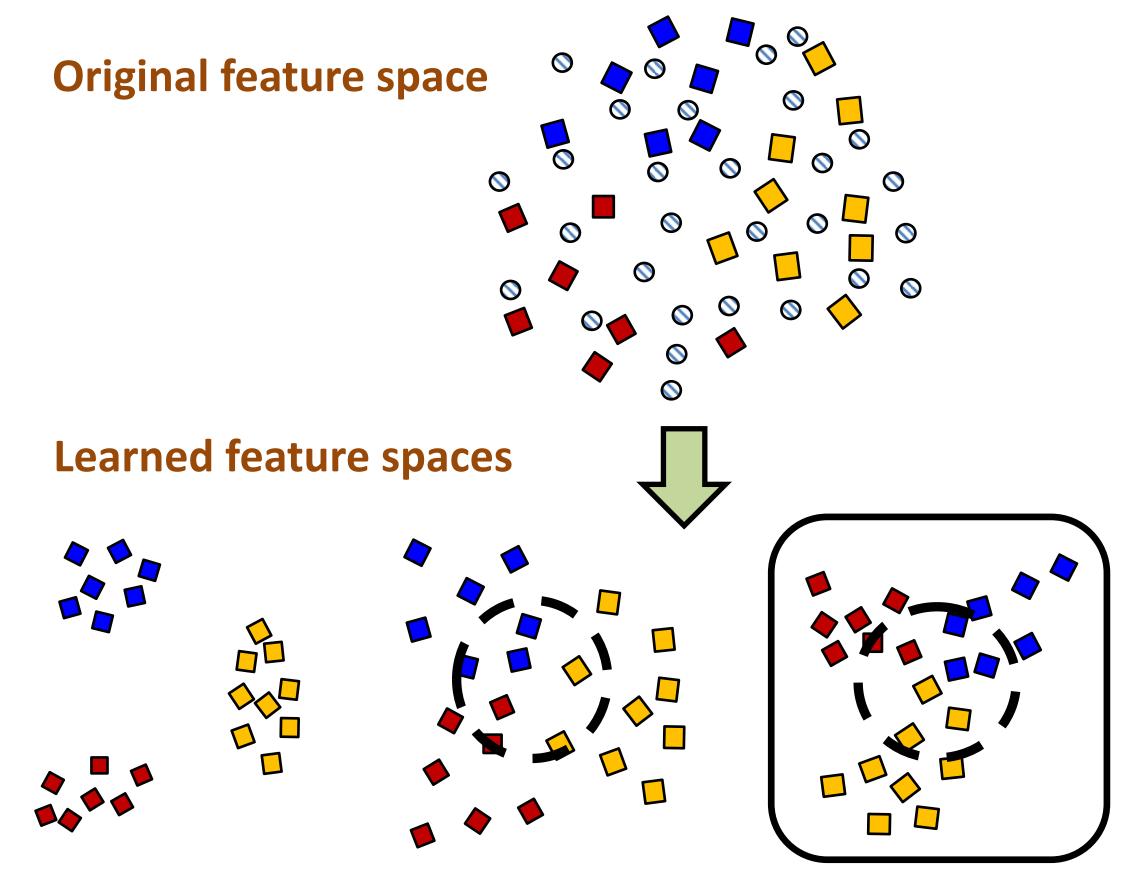
Target:

- Learn an <u>unbiased</u> recognition model from multip
- Recognize data from <u>unseen</u> domains (generalizat



Approach Overview:

- 1. Learning feature spaces, where data from multipl bridged together in different ways (capture comm
- 2. Validating out the best bridging using web images



Unbiased Metric Learning

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ed The second se	 Feature Space Learning: Label Coherence and Dom Examples of the same "+ examples" from me Metric Learning to Rank Neighborhood perspective 	label to l	be close omains Rankii	е	lose	nood
ple domains ation ability)	• Goal: $d_W(i, j) = \sqrt{(x_i)^2}$ • Formulation:	$(-x_j)^T W$	$V(x_i -$	<i>x_j</i>)		
Testing	$\min_{W \succeq 0, \xi \ge 0} tr(W) + \frac{C_1}{n} \sum_{q \in \mathcal{X}} \xi_q + \frac{C_2}{n} \sum_{q \in \mathcal{X}} \xi_q^+$					
ple domains are	$q \in \mathcal{X} \qquad q \in \mathcal{X}$ $\forall q \in \mathcal{X}, \forall y \in \mathcal{Y} \setminus y_q^* :$ Label Coherence Constraint $(W, \psi_{po}(q, y_q^*) - \psi_{po}(q, y)) \geq \Delta(y, y_q^*) - \xi_q$ $\forall q \in \mathcal{X}, \forall y^+ \in \mathcal{Y}^+ \setminus y_q^{+*} :$ Domain Diversity Constraint $(W, \psi_{po}(q, y_q^{+*}) - \psi_{po}(q, y^+)) \geq \hat{\Delta}(y^+, y_q^{+*}) - \xi_q$ • Optimization: Alternating-Direction Method of Multipliers					
es + Domain A + Domain B + Domain C -	 Validation with Web Images: Difficulty Test data can from unseen domains Test data can from multiple domains Test data can from multiple domains No domain knowledge of test data 					
	Experiments: • Existence of bias	Train Test				
	Table 1. K-nearest neighbor classification accuracy on all datasets.		Cal	Pas	SUN	Lab
	Metrics are learned on each dataset individually. The left-most column	Cal	0.87	0.33	0.24	0.39
	specifies the training dataset, while	Pas	0.31	0.40	0.32	0.30
	the up-most row specifies the test dataset.	SUN Lab	0.11	0.23	0.37 0.18	0.22
		Lab	0.24	0.25	0.18	0.47

$$W(x_i - x_j)$$

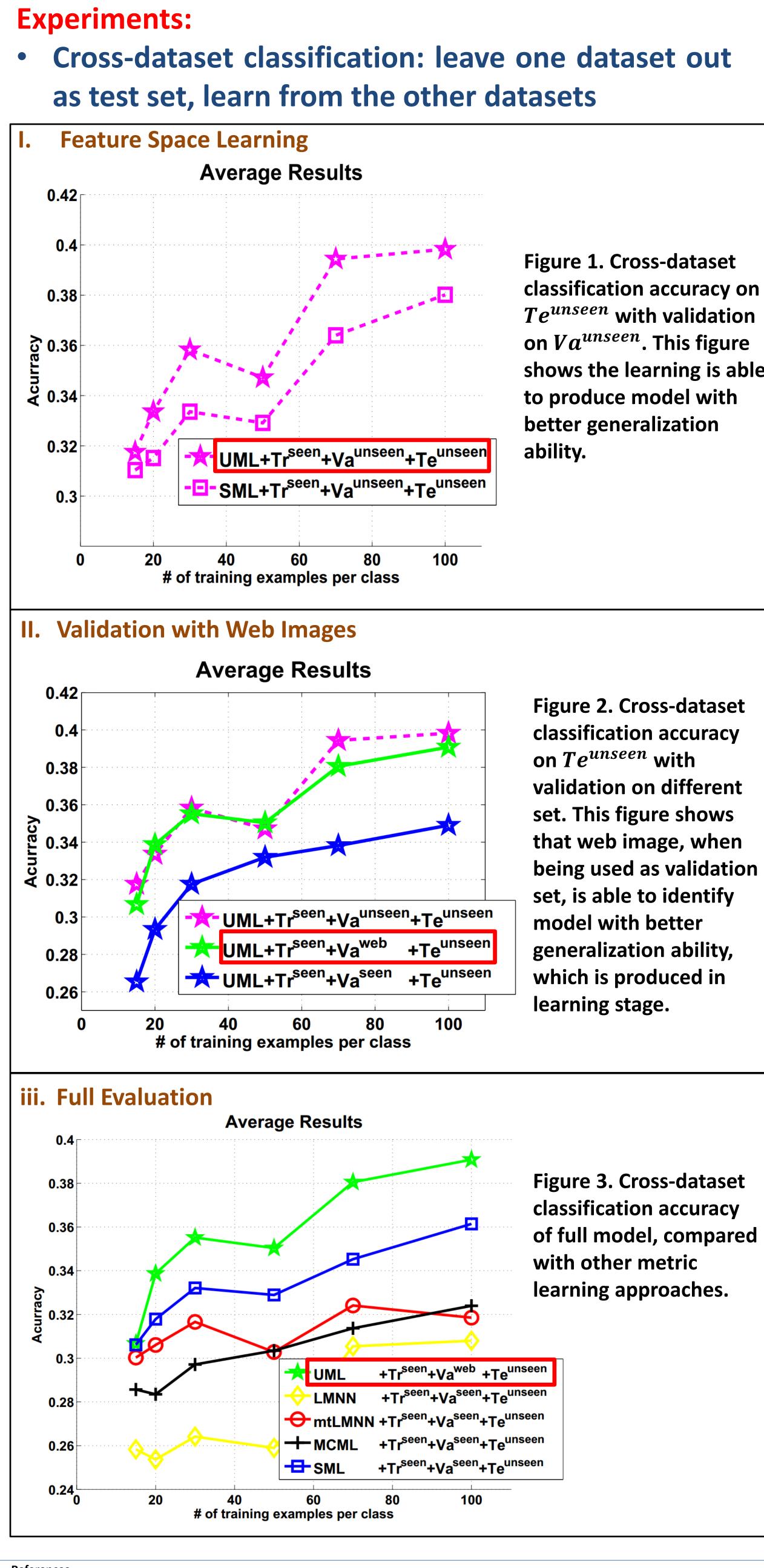
$$_{q} + \frac{C_{2}}{n} \sum_{q \in \mathcal{X}} \xi_{q}^{+}$$

$$\mathcal{Y}ackslash y_q^*:$$

 $(q,y_q^*)-\psi_{po}(q,y)
angle_F\geq\Delta(y,y_q^*)$

$$\in \mathcal{Y}^+ ackslash y_q^{+*}:$$

$$|+*) - \psi_{po}(q, y^+)\rangle_F \ge \hat{\Delta}(y^+, y_q^{+*}) - \xi_q^+$$



References

[1] A. Torralba and A. Efros. Unbiased look at dataset bias. In CVPR, 2011

[3] B. Mcfee and G. Lanckriet. Metric learning to rank. In ICML, 2010



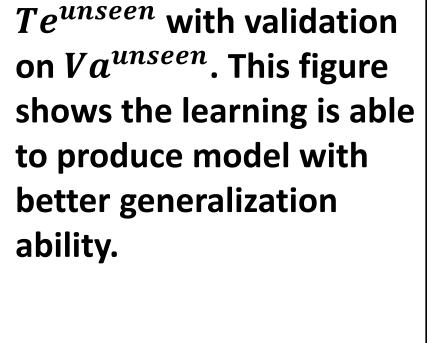


Figure 2. Cross-dataset classification accuracy on Te^{unseen} with validation on different set. This figure shows that web image, when being used as validation set, is able to identify model with better generalization ability, which is produced in learning stage.

Figure 3. Cross-dataset classification accuracy of full model, compared with other metric learning approaches.